

| COURSE NAME | | Mathematical analysis II | | | |
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| Code | PMM802 | Year of study | 2nd undergraduate study | | |
| Course teacher | Snježana Braić | Credits (ECTS) | 8,0 | | |
| Associate teachers | | Type of instruction (number of hours) | L | S | E |
| | | | 45 | | 45 |
| Status of the course | Compulsory | Percentage of application of e-learning | 30% | | |
| COURSE DESCRIPTION | | | | | |
| Course objectives | <p>Students will:</p> <ul style="list-style-type: none"> - acquire fundamental knowledge of Euclidean space R^n - expand their acquired knowledge about limit and continuity of real function of real variable upon real function of several real variables, so-called scalar function - be introduced to concepts of partial derivative, derivability and differentiability of scalar functions, and learn how to examine derivability and differentiability of scalar functions - learn fundamental theorems of differential calculus for scalar functions, and acquire knowledge of tangent planes, linear, differential and quadratic forms - learn to calculate local, constrained and global extrema for scalar functions - learn Riemann integral of real function of two variables over a rectangle and over a Jordan measurable set - learn fundamental theorems of integral calculus and compute double and triple integrals using various systems in plane and space - learn to calculate volume of solids, mass and the center of gravity of three dimensional solids - acquire basic knowledges about multiple integrals | | | | |
| Course enrolment requirements and entry competences required for the course | <p>Course enrolment: successfully completed course Differential and Integral Calculus I</p> <p>Entry competences: students should be comfortable with using concepts from Differential and integral calculus of functions of a single real variable</p> | | | | |
| Learning outcomes expected at the level of the course (4 to 10 learning outcomes) | <p>Upon successful completion of this course students will be able to:</p> <ul style="list-style-type: none"> - define Euclidean space R^n and associate metric, normed and unitary structure of that space - examine a convergence of sequence in R^n, to state and prove sequential characterization of limits and continuity of scalar functions - compute partial derivatives and examine derivability and differentiability of scalar functions - state, prove and apply theorems of differential calculus for scalar functions - define linear, differential and quadratic forms and calculate local, constrained and global extrema for functions of two variables - define Riemann integral of real function of two variables over a rectangle and J-measurable sets - state, prove and apply theorems of integral calculus for scalar functions - compute double and triple integrals and apply them when calculating volume, mass and the center of gravity of the solid body | | | | |
| Course content broken down in detail by weekly class schedule (syllabus) | <ul style="list-style-type: none"> - Vectorial space R^n (1) - Scalar product, norm and metric on Euclidean space R^n (3) - Sequence in R^n (3) - Surfaces of the second order (2) - Limit of scalar function (2) - Continuity of scalar function (3) - Partial derivative and directional derivative (2) - Schwarz' theorem (1) - Derivative of composite functions (2) - Mean value theorem (1) | | | | |

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| | <ul style="list-style-type: none"> - Differentiability of functions (3) - Tangent plane (1) - Differential form (1) - Implicit functions, system of equations (2) - Taylor's theorem for multivariate functions (1) - Local, constrained and global extrema for functions of several real variables (3) - Riemann integral of real functions of two variables over a rectangular (2) - Jordan measurable sets, sets of measure zero (2) - Lebesgue's criterion for Riemann integrability (2) - Riemann integral of real functions of two variables over a Jordan measurable sets (2) - Mean value theorem for integrals (1) - Fubini's theorem and functions defined by integrals (1) - The change of variable theorem (2) - Multiple integrals (2) |
| Format of instruction | Lectures, exercises. |
| Student responsibilities | Attendance. |
| Screening student work (<i>name the proportion of ECTS credits for each activity so that the total number of ECTS credits is equal to the ECTS value of the course</i>) | Attendance – 2,5 ECTS Colloquium – 2,5 ECTS Oral exam – 4 ECTS |
| Grading and evaluating student work in class and at the final exam | The exam which requires solving practical and theoretical problems is taken in written form and is followed by an oral theoretical exam. A passed written exam is a prerequisite for the oral exam. The written exam can be taken partialy, in two parts, during class. |
| Required literature (available in the library and via other media) | <ol style="list-style-type: none"> 1. S. Braić, <i>Diferencijalni i integralni račun II</i>, textbook PMF-a u Splitu 2. Š. Ungar, <i>Matematička analiza III</i>, Matematički odjel PMF, Zagreb 1994. 3. N. Uglešić: <i>Viša matematika II</i>, textbook PMF-a u Splitu. |
| Optional literature (at the time of submission of study programme proposal) | <ol style="list-style-type: none"> 1. S. Lang, <i>A first Course in Calculus</i>, 5th ed., Springer, 1986. 2. M. Lovrić, <i>Vector Calculus</i>, Addison-Wesley Publ. Ltd., Don Mills, Ontario, 1997. 3. S. Kurepa, <i>Matematička analiza 2: Diferenciranje i integriranje</i>, Tehnička knjiga, Zagreb, 1989. 4. S. Kurepa, <i>Matematička analiza 3: Funkcije više varijabli</i>, Tehnička knjiga, Zagreb, 1981. |

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| Quality assurance methods that ensure the acquisition of exit competences | Statistics of test results and student evaluation via anonymous questionnaires at the end of the course. The survey is conducted according to the rules of the University of Split. |
| Other (as the proposer wishes to add) | |